## Pretend Quiz 14

This quiz is not graded. It is for practice purposes only.

1. Find the number of spanning trees of $\mathcal{K}_{3}$.
2. True \& False section. If the statement is true in general (if it has a proof), circle true. If there are examples where the statement is false, circle false.
(a) $\mathcal{K}_{2}$ has a 2-coloring.
(b) The graph below has a 3-coloring.
(c) The number of isomorphism classes of non-empty subgraphs of $\mathcal{K}_{5}$ that have at most one edge is equal to 9 .
(d) For every $n>2$, there exists a tree with $n$ edges that has a 2 -coloring.
(e) There exists a tree with 3 vertices
that does not have 3-coloring.
(f) There exists a tree with 4 vertices that does not have a 3 -coloring.


$$
\text { t most one edge is equal to } 9 \text {. }
$$

True False

True False

True False

True False

